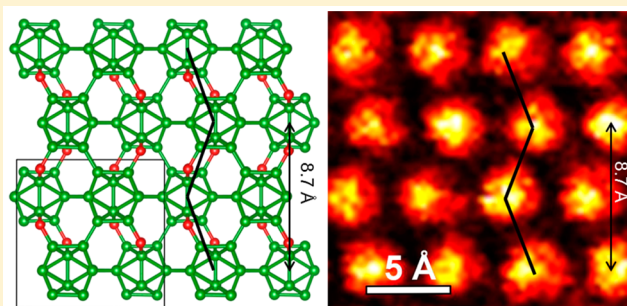


Nanotwinned Boron Suboxide (B_6O): New Ground State of B_6O Qi An,[†] K. Madhav Reddy,[‡] Huafeng Dong,^{||} Ming-Wei Chen,[‡] Artem R. Oganov,^{||,⊥,#,▽} and William A. Goddard, III^{*,†}[†]Materials and Process Simulation Center, California Institute of Technology, Pasadena, California 91125, United States[‡]WPI Advanced Institute for Materials Research, Tohoku University, Sendai 980-8577, Japan^{||}Department of Geosciences and Center for Materials by Design, Institute for Advanced Computational Science, State University of New York, Stony Brook, New York 11794-2100, United States[⊥]Skolkovo Institute of Science and Technology, Skolkovo Innovation Center, 3 Nobel St., Moscow 143026, Russia[#]Moscow Institute of Physics and Technology, 9 Institutskiy Lane, Dolgoprudny City, Moscow Region 141700, Russian Federation[▽]International Center for Materials Discovery, Northwestern Polytechnical University, Xi'an, 710072, China

S Supporting Information

ABSTRACT: Nanotwinned structures in superhard ceramics rhombohedral boron suboxide ($R-B_6O$) have been examined using a combination of transmission electron microscopy (TEM) and quantum mechanics (QM). QM predicts negative relative energies to $R-B_6O$ for various twinned $R-B_6O$ (denoted as $\tau-B_6O$, $2\tau-B_6O$, and $4\tau-B_6O$), consistent with the recently predicted B_6O structure with $Cmcm$ space group ($\tau-B_6O$) which has an energy 1.1 meV/ B_6O lower than $R-B_6O$. We report here TEM observations of this $\tau-B_6O$ structure, confirming the QM predictions. QM studies under pure shear deformation and indentation conditions are used to determine the deformation mechanisms of the new $\tau-B_6O$ phase which are compared to $R-B_6O$ and $2\tau-B_6O$. The lowest stress slip system of $\tau-B_6O$ is $(010)/\langle 001 \rangle$ which transforms $\tau-B_6O$ to $R-B_6O$ under pure shear deformation. However, under indentation conditions, the lowest stress slip system changes to $(001)/\langle 110 \rangle$, leading to icosahedra disintegration and hence amorphous band formation.

KEYWORDS: Superhard ceramics, stacking faults energy, DFT, deformation mechanism



Crystal twins are ubiquitous in crystalline metals and ceramics, where they form during growth and deformation processes. They have been studied extensively in metals, where they modify significantly the mechanical, thermal, and electrical properties.^{1–5} In particular they significantly improve the materials strength by blocking dislocation movements.^{6–8} In some twinned structures the electrical conductivity of the pure metal is retained with the increased strength,⁹ making these planar defects potentially useful for electronic engineering.

However, for ceramics, the twinned structures are more complex than for simple metals. For example, we recently used QM and high resolution TEM (HRTEM) to identify a special asymmetric twin structure in boron carbide (B_4C) that arises from the interplay of stoichiometry, atomic positioning, twinning, and structural hierarchy.¹⁰ Dislocations in ceramics are often sessile at normal temperatures because of the rigid structures arising from the covalent or ionic bonding. Thus, the strengthening mechanism through twinning in metals does not generally apply to ceramics. However, recent experiments found that nanoscale twins in c-BN and diamond dramatically increase the hardness of these strong covalent solids,^{11,12}

leading to examining the roles of twins in deformation processes of other strong covalent solids.^{13,14}

Twin boundaries (TBs) are normally coherent grain boundaries with low interfacial energy compared with normal grain boundaries having random orientations. In general such TBs are planar defects with positive stacking faults energy (SFE). Even the well-known 4H-SiC and 6H-SiC stacking structures has positive SFEs of 14.7 and 2.9 mJ/m²,¹⁵ but they are more favorable at high temperature above 1700 °C because of the entropic effects.

Boron suboxide (B_6O) belongs to the family of icosahedral compounds that combine such promising properties as high hardness, low density, and chemical inertness.^{16–18} Abundant twinned structures with TB along $\{100\}_r$ plane have been observed in rhombohedral B_6O ($R-B_6O$),¹⁶ indicating a unique microstructure for the twinned structure in B_6O . We used subscript “r” to represent the planes and directions in $R-B_6O$ and the others without “r” represent the ones in the new

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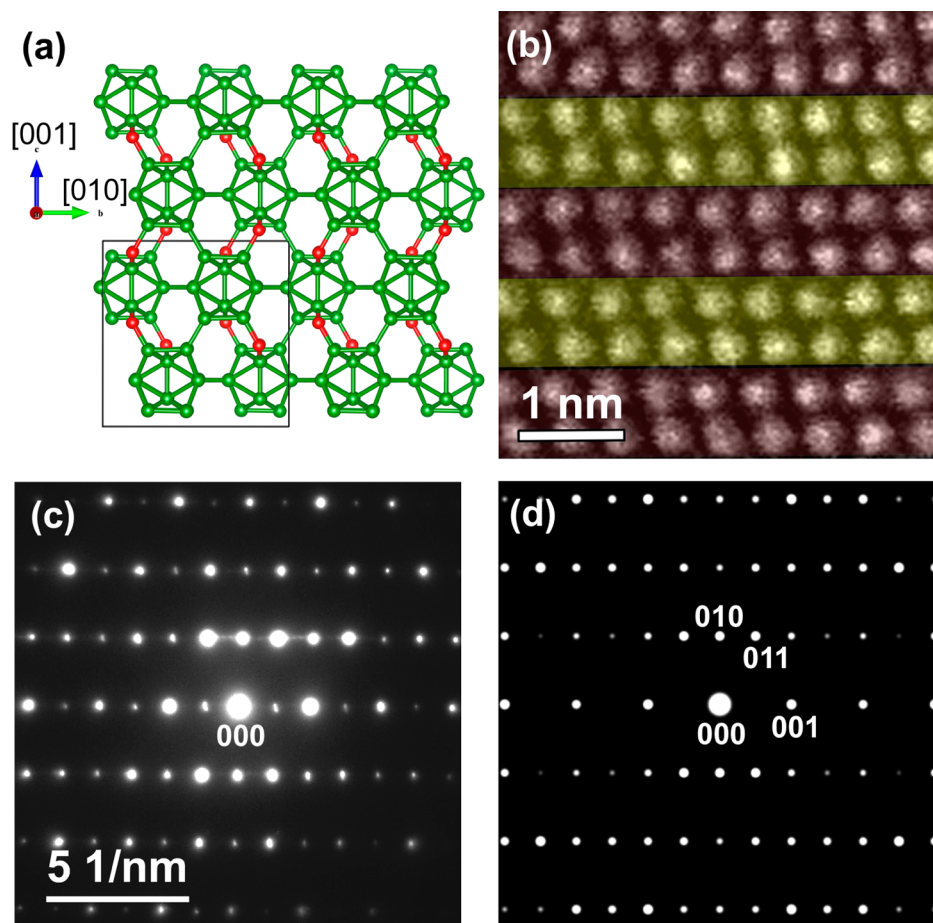


Figure 1. Structure of the τ - B_6O phase from QM prediction and STEM experiments: (a) QM predicted τ - B_6O phase projected along $\langle 100 \rangle$ direction. (b) STEM image showing the τ - B_6O phase. (c) An experimental selected area electron diffraction (SAED) pattern recorded for the region imaged in (b) and indexed to be the τ - B_6O structure. (d) Simulated SAED pattern from the QM predicted structure projection along the $\langle 100 \rangle$ direction. In the experimental and simulated SAED (000) represents the transmitted beam. The identified g-vector spots near the transmitted beam are given. The QM structure is predicted at 0 K without thermal fluctuations. The B and O atoms are represented by green and red balls, respectively.

predicted twinned B_6O . Thus, understating how the twinned structure in B_6O affects the mechanical properties may offer the possibility of designing materials with improved mechanical properties.

The present studies combined quantum mechanics (QM) calculations with spherical-aberration-corrected scanning transmission electron microscopy (STEM) to demonstrate the formation of the nanotwinned B_6O that have *negative* SFE, which is consistent with recent predictions of a new B_6O phase¹⁹ more stable than R- B_6O . The newly predicted B_6O phase exhibits 1×1 zigzag twinned B_6O , which we denote as τ - B_6O . We also identify other twinned phases, denoted as 2τ - B_6O , and 4τ - B_6O , and used QM to examine their mechanical properties, which are compared to R- B_6O .

Normal synthesis of B_6O leads to a rhombohedral unit cell with one B_{12} icosahedral cluster at the apexes and two O atom chains along the $[111]_r$ direction.^{16,20} Recent studies,¹⁹ using evolutionary crystal structure prediction methods,²¹ found a new B_6O crystal structure with $Cmcm$ space group as shown in Figure 1a. This structure was predicted to be 1.1 meV/ B_6O lower in energy than R- B_6O .¹⁹ To validate the existence of this new structure in experiments, we performed STEM measurements on as-synthesized B_6O ²² (experimental details are in the Supporting Information, SI). Besides the R- B_6O shown in

Figure S1 of SI, we observed the new τ - B_6O structure within some grains, as shown with STEM and HRTEM images in Figure 1b, Figures S2 and S3 of SI, providing experimental evidence supporting the theoretical prediction. The new τ - B_6O structure belongs to the $Cmcm$ space group. Figure 1a shows the projection along the $\langle 100 \rangle$ direction, which shows the B_{12} icosahedra and the oxygen atom (O–O) chains. The BF-STEM image (Figure 1b) displays this zigzag pattern with the icosahedra alignment alternating every other plane. This zigzag structure has a mirror symmetry across the $\{010\}$ planes and appears to be a uniformly twinned version of R- B_6O (Figure S1). The STEM images (Figure 1b and Figure S2) are analogous to the direct projection of structure model (Figure 1a) along the same crystallographic direction.

To further validate that this experimentally observed phase is the predicted one, we extracted the electron diffraction pattern from STEM measurements and compared it to the simulated STEM image computed from the QM structure (Figure 1c and d). The basic electron diffraction vectors from experiments and QM predictions agree very well, confirming that the observed phase is the τ - B_6O phase. However, our experimental pattern shows low intensity spots halfway between two very strong spots that would not be present in the perfect sample. To explore the origin of these weak spots, we considered models of

Table 1. Predicted Absolute Energies (eV/B₆O), Relative Energy, Elastic Modulus, And Hardness of τ -B₆O, R-B₆O, and Twinned R-B₆O from VASP^a

structure	τ -B ₆ O	R-B ₆ O	2 τ -B ₆ O	3 τ -B ₆ O	4 τ -B ₆ O
energy (eV/B ₆ O unit)	-50.1366	-50.1355	-50.1362	-50.1361	-50.1360
relative energy (meV/B ₆ O)	0	1.1	0.4	0.5	0.6
bulk modulus (GPa)	225.9	232.0	226.2		221.8
shear modulus (GPa)	209.2	210.9	208.5		206.6
hardness (GPa)	38.6	37.9	38.3		38.6

^aComparing the total energy of τ -B₆O with R-B₆O, we can say that the energy to insert stacking faults into τ -B₆O to form R-B₆O, is 1.51 mJ/m².

τ -B₆O containing ordered patterns of either B-vacancies or O-vacancies, as shown in Figure S4 of SI. Our calculated diffraction patterns (Figure S4 of SI) for both cases lead to low intensity spots halfway between the very strong spots exactly where we observe them experimentally.

The new predicted τ -B₆O phase is similar to our previously predicted twinned R-B₆O structure¹⁴ with the τ -B₆O having 1 × 1 zigzag structure along the direction perpendicular to the twin plane, while the $n\tau$ -B₆O twinned structure has an $n \times n$ ($n > 1$) zigzag structure. The most stable structure in Table 1 is τ -B₆O. Comparing the energy to R-B₆O, we can say that the stacking fault energy (SFE) to form R-B₆O is 1.51 mJ/m². The other $n\tau$ -B₆O cases all have energies between τ -B₆O to R-B₆O (Table 1), indicating that it is favorable to put twins into R-B₆O.

To gain insight into why the τ -B₆O phase is more stable than R-B₆O, we calculated the natural bond orbital (NBO) charge distributions²³ of the B₁₂ unit and O atoms in both structures. The electron counting rules suggest that two electrons must be added to the B₁₂ unit in R-B₆O to satisfy Wade's rule. In R-B₆O, the QM calculations find that the O atoms transfer only 0.65 electrons to nearby B₁₂ unit, leading to (B₁₂)^{1.3-}, which is short from the value expected from Wade's rule. In contrast, for τ -B₆O each O atom transfers 1.05 electrons to a nearby B₁₂ unit, leading to (B₁₂)^{2.1-}. Thus, the charge transfer in the τ -B₆O structure nearly exactly matches Wade's rule, suggesting that τ -B₆O is more stable structure.

To determine the stability of the two phases at finite temperature, we calculated the free energy as a function of temperature, including the vibrational entropy. We first computed the phonon frequencies of these two phases using a finite difference method.²⁴ These calculations used the 2 × 2 × 2 supercell for R-B₆O and the 2 × 2 × 1 supercell for τ -B₆O. The entropy and the Helmholtz free energy were computed from the phonon frequencies for temperature up to 2300 K, which is near the melting temperature of B₆O.²⁵ The entropy difference ($S_{R-B_6O} - S_{\tau-B_6O}$) and the Helmholtz free energy (A) difference ($A_{R-B_6O} - A_{\tau-B_6O}$) between these two phases are small, as displayed in Figure S5 of the SI. The τ -B₆O phase has a lower Helmholtz free energy than R-B₆O for all temperature up to melting, but the difference decreases gradually to zero at melting. The entropy of τ -B₆O is slightly higher than that of R-B₆O for $T < 72$ K but lower for higher temperatures.

To examine how the negative SFEs affect the mechanical properties, we used QM to predict the elastic moduli of τ -B₆O and compare with R-B₆O and 2,4 τ -B₆O. The predicted elastic moduli are listed in Tables S1–S3 of SI. For τ -B₆O this leads to a calculated bulk modulus $B = 225.9$ GPa and a shear modulus $G = 209.2$ GPa using Voigt–Reuss–Hill averaging.²⁶ These values are slightly smaller than the $B = 232.0$ and $G = 210.9$ GPa for R-B₆O.²⁰ For 2 τ -B₆O and 4 τ -B₆O structures, the $B = 226.2$ GPa, $G = 208.5$ GPa; and $B = 221.8$ GPa, $G = 206.6$ GPa, respectively, which are similar to those of τ -B₆O. Thus, all four

structures have similar elastic properties, indicating that the slightly negative SFEs have insignificant influence on the elastic properties of B₆O.

To examine if the twinned structures influence the mechanical properties of R-B₆O, we calculated the hardness of τ -B₆O, R-B₆O, and twinned R-B₆O based on the G/B values.²⁷ The computed hardness values are summarized in Table 1. Although the calculated hardness values for these structures are similar, the twinned structures appear slightly harder than the R-B₆O, indicating that twins make B₆O stronger.

Amorphous shear band formation is the major failure mechanism for failure of superhard ceramics B₆O²⁸ and B₄C.^{29–32} To determine the deformation mechanism leading to brittle failure of the new τ -B₆O phase, we applied pure shear deformation to τ -B₆O (simulation details in the SI). We first determined the most plausible slip system by shearing along four possible slip systems of (100)/⟨010⟩, (100)/⟨001⟩, (010)/⟨001⟩, and (001)/⟨110⟩. The (001)/⟨110⟩ slip system corresponds to the slip along the twin boundaries (TBs) in the twinned R-B₆O. The stress–strain relationships of these slip systems are displayed in Figure 2. Among these four slip

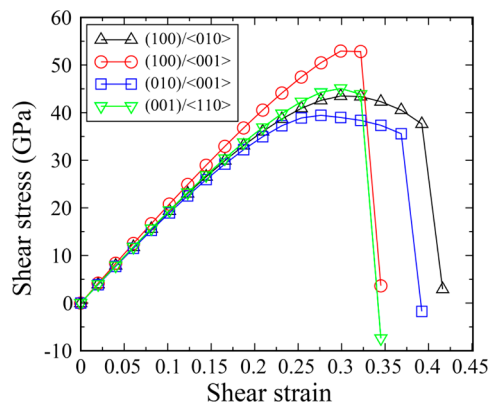


Figure 2. Shear-stress/shear-strain relationship of τ -B₆O along various slip systems. The (010)/⟨001⟩ is the least stress shear condition, with a maximum shear stress of 39.4 GPa.

systems, the (010)/⟨001⟩ slip system has the lowest shear stress of 39.4 GPa, while the other slip systems (100)/⟨010⟩, (100)/⟨001⟩, and (001)/⟨110⟩ are 43.5, 47.5, and 45.1 GPa, respectively. Thus, the (010)/⟨001⟩ is the least stress slip system for τ -B₆O. For 2 τ -B₆O, QM leads to an ideal shear stress along (010)/⟨001⟩ of 37.5 GPa. Thus, the τ -B₆O is slightly stronger than 2 τ -B₆O, consistent with its higher predicted hardness.

To compare with R-B₆O, we shear the R-B₆O along the (011)_r/⟨211⟩_r slip system, which is the reverse slip system of (010)/⟨001⟩ for τ -B₆O. The ideal shear stress of R-B₆O

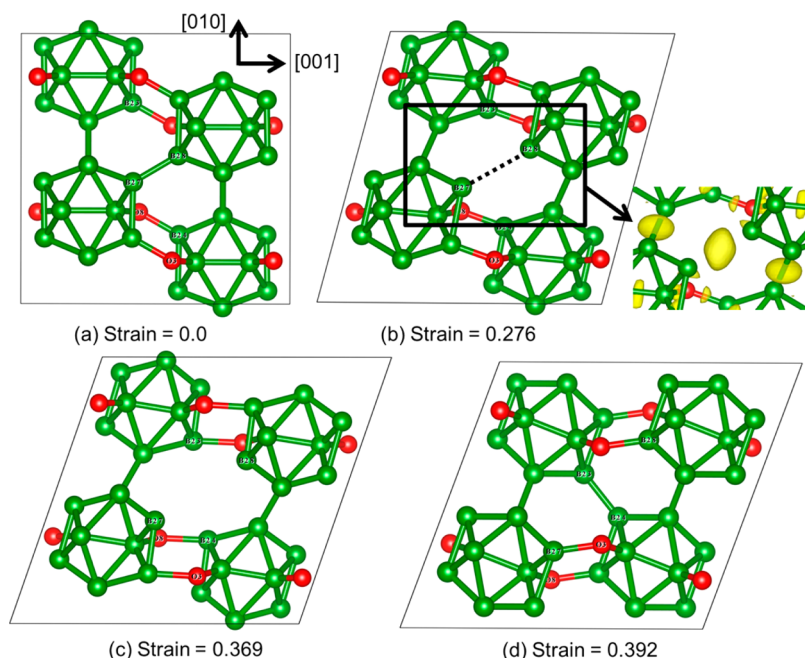


Figure 3. Deformation mechanism for shear along the least shear slip system, $(010)/\langle 001 \rangle$ (note that each O bonds to three icosahedra, so that is formally O^+): (a) The intact structure. (b) The structure at 0.276 strain which corresponds to the maximum shear stress of 39.4 GPa. (c) The structure at 0.369 strain before phase transition. (d) The structure at 0.392 strain after the phase transition where all bonds are reconnected for the sheared phase.

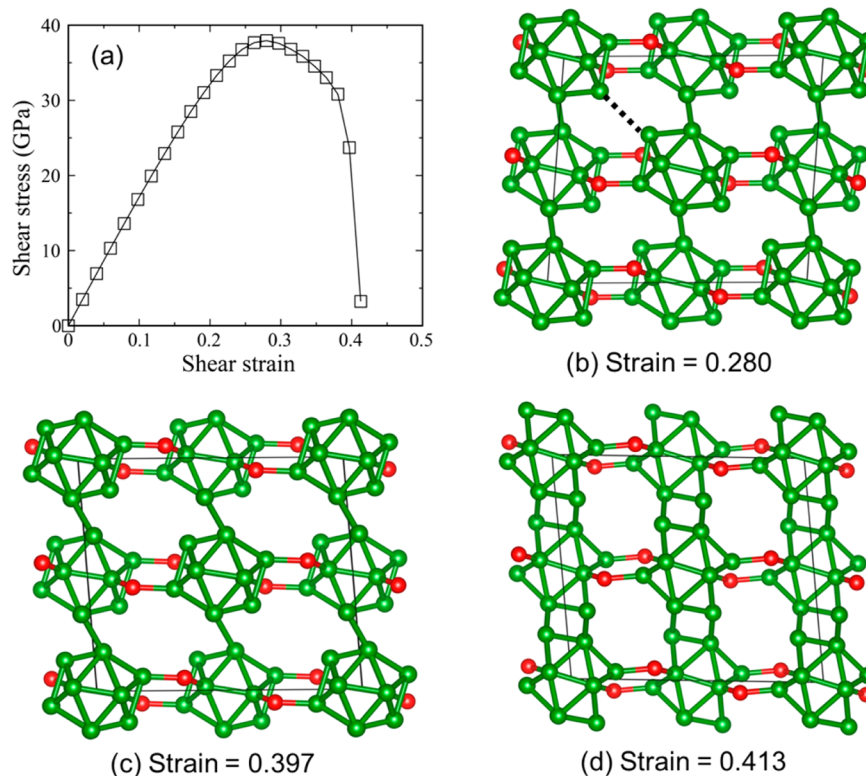


Figure 4. Stress–strain relationship and the structural changes as the $R-B_6O$ shear along $(011)_r/\langle 2\bar{1}\bar{1} \rangle_r$ (reverse deformation of $\tau-B_6O$ along $(010)/\langle 001 \rangle$): (a) Stress–strain relationship. (b) Structure at 0.280 strain corresponding to the maximum shear stress of 37.9 GPa. The B–B bond between icosahedra is stretched to 2.40 Å (dashed line). (c) Structure at 0.397 before failure. (d) Failed structure at 0.413 strain.

shearing along $(011)_r/\langle 2\bar{1}\bar{1} \rangle_r$ is 37.9 GPa, which is lower than the shear along $(001)_r/\langle 100 \rangle_r$ of 43.5 GPa we examined earlier.²⁰ Thus, the lowest stress slip system for $R-B_6O$ is actually $(011)_r/\langle 2\bar{1}\bar{1} \rangle_r$, not $(001)_r/\langle 100 \rangle_r$ that we examined

previously. Comparing the ideal shear stress for lowest stress slip systems for these three structures, the sequence from high to low strength is $\tau-B_6O > R-B_6O \sim 2\tau-B_6O$.

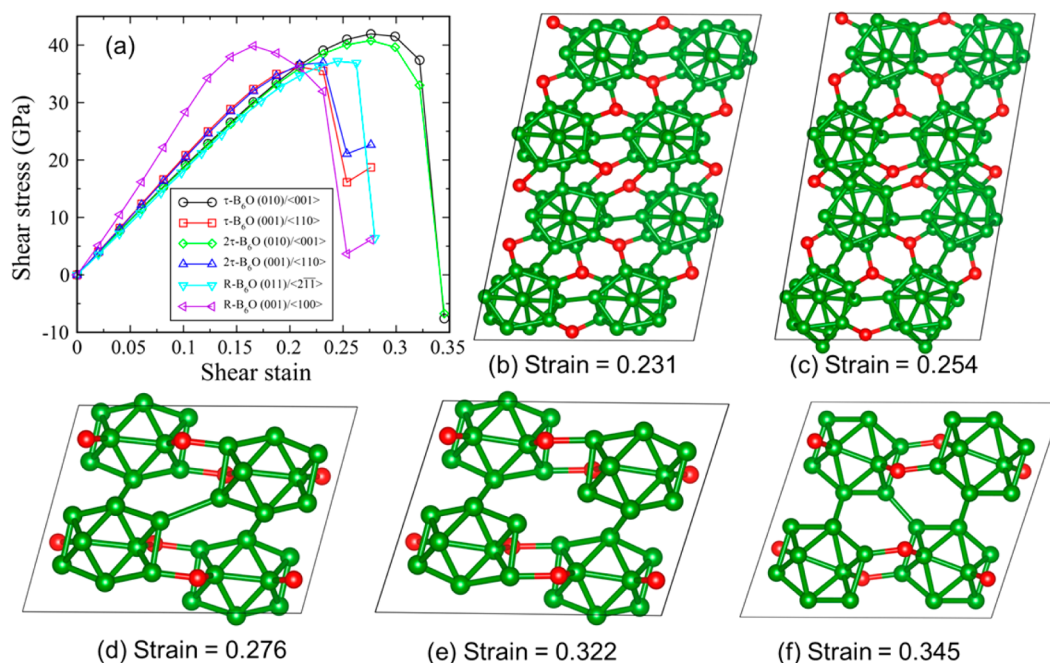


Figure 5. Stress–strain relationships of $\tau\text{-B}_2\text{O}_3$, $\text{R-B}_2\text{O}_3$, and twinned $\text{R-B}_2\text{O}_3$ shearing along various slip systems and the structural changes for $\tau\text{-B}_2\text{O}_3$ under indentation conditions. (a) Stress–strain relationship. (b) $\tau\text{-B}_2\text{O}_3$ structure at 0.231 strain shearing along (001)//(110) before failure. (c) $\tau\text{-B}_2\text{O}_3$ structure at 0.254 strain shearing along (001)//(110) before failure. (d–f) Structural changes of $\tau\text{-B}_2\text{O}_3$ shear along (010)//(001) slip system which results in phase transition from $\tau\text{-B}_2\text{O}_3$ to $\text{R-B}_2\text{O}_3$.

In addition, we note that the slip along the TBs [(001)//(110) slip system] has an ideal shear stress of 45.1 GPa, which is larger than $2\tau\text{-B}_2\text{O}_3$ of 43.3 GPa. However, the ideal shear stress along this slip system for the perfect (nontwinned) $\text{R-B}_2\text{O}_3$ is 43.5 GPa, which is similar to $2\tau\text{-B}_2\text{O}_3$.

Figure 3 displays the deformation mechanism of $\tau\text{-B}_2\text{O}_3$ for shear along the slip system (010)//(001). The intact structure is displayed in Figure 3a. As the system is sheared to 0.276 strain (corresponding to a maximum stress of 39.4 GPa) the B27–B28 bond between icosahedra is stretched from 1.697 to 2.491 Å as shown in Figure 3b. *But it is not broken* as shown from the electron localization function (ELF)³³ (inserted image of Figure 3b). As the system is sheared continuously to 0.369 strain, the B27–B28 bond breaks, but this releases the shear stress only slightly to 35.6 GPa because the icosahedra do not disintegrate. As the critical strain of 0.369 is exceeded, a new B23–B24 bond forms, and the structure transforms to $\text{R-B}_2\text{O}_3$ with no broken bonds in the icosahedral clusters. However, the “a” and “c” axes are now along $[\bar{2}11]_r$ and $[011]_r$ directions of $\text{R-B}_2\text{O}_3$, respectively. This deformation is similar to the pure shear deformation of $\text{R-B}_2\text{O}_3$ ²⁰ and twinned $\text{R-B}_2\text{O}_3$ ¹⁴ where the icosahedral clusters do not deconstruct.

To examine the possible reverse transition from $\text{R-B}_2\text{O}_3$ to $\tau\text{-B}_2\text{O}_3$, we performed pure shear deformation on the $\text{R-B}_2\text{O}_3$ along the slip system of $(011)_r$ // $(2\bar{1}\bar{1})_r$, which is the reverse slip from $\tau\text{-B}_2\text{O}_3$ to $\text{R-B}_2\text{O}_3$. The stress–strain relationship and structural changes are displayed in Figure 4a. We found that the $\text{R-B}_2\text{O}_3$ cannot transform back to $\tau\text{-B}_2\text{O}_3$, instead the icosahedra disintegrate, leading to the amorphous band formation, as shown in Figure 4b–d. Indeed previous experimental studies show amorphous band formation in $\text{R-B}_2\text{O}_3$.²⁸ However, our previous QM simulations show structure recovery for $\text{R-B}_2\text{O}_3$ shearing along $(001)_r$ // $(100)_r$.²⁰ Here we show that shearing along $(011)_r$ // $(2\bar{1}\bar{1})_r$ has a lower ideal shear stress, resulting in icosahedra disintegration that leads to amorphous band

formation. Thus, our simulations predict that the amorphous band in $\text{R-B}_2\text{O}_3$ is along the $(011)_r$ plane. This is not consistent with previous experiments²⁸ which might arise from the complex stress conditions in experiments.

Normally indentation experiments are used to evaluate the strength of brittle materials. To mimic the stress conditions under indentation,¹³ we applied biaxial shear stress on $\tau\text{-B}_2\text{O}_3$ along slip system (010)//(001) which is the lowest stress slip system and the TBs, which is the (001)//(110) slip system. We also sheared the $2\tau\text{-B}_2\text{O}_3$ and $\text{R-B}_2\text{O}_3$ along the similar slip systems for comparison. The shear-stress–shear-strain relationships for these three structures are displayed in Figure 5a. We see that the ideal shear stress of $\tau\text{-B}_2\text{O}_3$ shearing along $(001)_r$ // $(110)_r$ is 36.2 GPa, while it is 41.0 GPa shearing along (010)//(001) slip system. Thus, the easiest slip system for $\tau\text{-B}_2\text{O}_3$ changes from (010)//(001) to (001)//(110) under the simulated indentation conditions. A similar change for the lowest stress slip system appears for $2\tau\text{-B}_2\text{O}_3$ where the ideal shear stresses are 36.9 and 40.8 GPa for shearing along (001)//(110) and (010)//(001), respectively. However, for the perfect $\text{R-B}_2\text{O}_3$, the ideal shear stresses are 39.9 and 37.2 GPa for shearing along $(001)_r$ // $(100)_r$ and $(011)_r$ // $(2\bar{1}\bar{1})_r$, respectively. This indicates that $(011)_r$ // $(2\bar{1}\bar{1})_r$ is still the most plausible slip system in $\text{R-B}_2\text{O}_3$. Under the biaxial shear stress conditions, the sequence from high to low strength is $\text{R-B}_2\text{O}_3 \sim 2\tau\text{-B}_2\text{O}_3 > \tau\text{-B}_2\text{O}_3$, which is reverse compared to the pure shear deformation.

The deformation mechanism for $\tau\text{-B}_2\text{O}_3$ along (001)//(110) under the biaxial shear stress conditions is displayed in Figure 5b,c. The icosahedra disintegrate directly under the biaxial stress conditions at 0.254 strain as the shear stress goes above 36.2 GPa. To examine why the most plausible slip system changes from (010)//(001) to (001)//(110) in $\tau\text{-B}_2\text{O}_3$ under biaxial shear conditions, we plotted the structural changes by shearing along (010)//(001) in Figure 5d–f. We see that the $\tau\text{-B}_2\text{O}_3$ also transforms to $\text{R-B}_2\text{O}_3$ at biaxial stress conditions, which

is the same as for pure shear deformations. The 2τ - B_6O exhibits a similar deformation mechanism under biaxial shear stress conditions: the icosahedra disintegrate when shearing along $(001)/\langle 110 \rangle$ with a lower shear stress of 36.9 GPa, while the structure changes to R - B_6O when shearing along $(010)/\langle 001 \rangle$ with a higher minimum shear stress of 40.8 GPa (Figure S6 of SI). For R - B_6O , the icosahedra disintegrate for both shear along $(001)_r/\langle 100 \rangle_r^{14}$ and along $(011)_r/\langle 2\bar{1}\bar{1} \rangle_r$ (Figure S7 of SI).

Structural transformations between solids have been widely examined in metals,^{34,35} semiconductors,^{36,37} and superhard ceramics.^{20,29} Recent studies shows that a possible path for transforming the zinc-blende (ZB) structure to the wurzite phase is a collective glide of Shockley partial dislocations on the (111) plane.^{36,37} We calculate that the shear deformation from R - B_6O to τ - B_6O requires a shear stress over 35 GPa at 0 K. Thus, it is unlikely that τ - B_6O is formed from mechanical twinning of R - B_6O . Instead we expect that τ - B_6O may be formed during nucleation and growth from the melt, as favored by the lower free energy of τ - B_6O compared to R - B_6O .

In summary, we confirm with QM and STEM experiments the existence of the new τ - B_6O phase predicted by Dong et al.¹⁹ The stacking fault energies for nanotwinned R - B_6O are negative and the free energy of the τ - B_6O phase is lower than that of the R - B_6O , demonstrating that the twinned structures are more stable than the R - B_6O phase. However, the negative SFEs have trivial influence on the elastic properties of the twinned R - B_6O . Applying a pure shear deformation on the new τ - B_6O structure transforms it to R - B_6O along the lowest stress slip system $(010)/\langle 001 \rangle$, but this transformation is irreversible. Imposing biaxial shear stress in a way similar to the loading conditions for indentation, we find that the new τ - B_6O phase transforms to an amorphous phase in which the lowest stress slip system changes from $(010)/\langle 001 \rangle$ to $(001)/\langle 110 \rangle$. We found that the τ - B_6O phase is stronger than R - B_6O under pure shear deformation, while it is weaker than R - B_6O for indentation conditions.

■ ASSOCIATED CONTENT

Supporting Information

The Supporting Information is available free of charge on the ACS Publications website at DOI: 10.1021/acs.nanolett.6b01204.

Details of the experimental and simulation method, the predicted elastic moduli for τ - B_6O , 2τ - B_6O , and 4τ - B_6O , the STEM image for R - B_6O , the STEM and HRTEM images for τ - B_6O , the computed electron diffraction patterns for perfect τ - B_6O and vacancy models, the entropy (S) and Helmholtz free energy (A) difference between R - B_6O and τ - B_6O at finite temperature, the transformed structure at 0.345 strain for 2τ - B_6O phase shearing along $(010)/\langle 001 \rangle$ slip system, and the structural change for R - B_6O shear along $(011)_r/\langle 2\bar{1}\bar{1} \rangle_r$ under indentation conditions (PDF)

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Notes

The authors declare no competing financial interest.

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